# University of Mumbai <br> Examination 2020 under cluster 4 (PCE) 

Program: BE Electronics and Telecommunication Engineering Curriculum Scheme: Rev 2012<br>Examination: Third Year Semester V<br>Course Code: ETC 503 and Course Name: Random Signal Analysis

Time: 1 hour

Note to the students:- All the Questions are compulsory and carry equal marks .

| Q1. | The probability of certain event is |
| :--- | :--- |
| Option A: | 0 |
| Option B: | 1 |
| Option C: | 0.47 |
| Option D: | 0.65 |
|  |  |
| Q2. | Which of the following is usually the most difficult cost to determine |
| Option A: | service cost |
| Option B: | facility cost |
| Option C: | calling cost |
| Option D: | waiting cost |
|  |  |
| Q3. | The first order Markov chain is generally used when |
| Option A: | stable transition probabilities |
| Option B: | random change in transition probabilities |
| Option C: | sufficient data |
| Option D: | no sufficient data |
|  |  |
| Q4. | Random process is also called as |
| Option A: | Deterministic system |
| Option B: | Linear system |
| Option C: | Nondeterministic system |
| Option D: | Stochastic process |
|  |  |
| Q5. | If future values of sample function is cannot be predicted from its past values <br> such process is called as |
| Option A: | Deterministic process |
| Option B: | Nondeterministic process |
| Option C: | Linear process |
| Option D: | Nonlinear process |
|  |  |
| Q6. | convergent means |
| Option A: | tending to move toward one point or to approach each other |
| Option B: | tending to move toward different point or move away from each other |
| Option C: | it is not defined |
| Option D: | addition |
|  |  |
| Q7. | Strong law of large numbers is defined as |
| Option A: | P[lim n $\rightarrow \infty(\|X-\mu\|>\epsilon)=0]$ |
| Option B: | P[lim n $\rightarrow \infty(\|X-\mu\|>\epsilon)=1]$ |
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| Option C: | $\mathrm{P}[\lim \mathrm{n} \rightarrow \infty(\|\mathrm{X}-\mu\|>\epsilon)=2]$ |
| :---: | :---: |
| Option D: | $\mathrm{P}[\lim \mathrm{n} \rightarrow \infty(\|\mathrm{X}-\mu\|>\epsilon)=3]$ |
| Q8. | Chebychevs inequality is defined by |
| Option A: | $\mathrm{P}(\|\mathrm{x}-\mu\|>=\mathrm{k} \sigma)<=1 /\left(\mathrm{k}^{\wedge} 3\right)$. |
| Option B: | $\mathrm{P}(\|\mathrm{x}-\mu\|>=\mathrm{k} \sigma)<=1 /\left(\mathrm{k}^{\wedge} 4\right)$. |
| Option C: | $\mathrm{P}(\|\mathrm{x}-\mu\|>=\mathrm{k} \sigma)<=1 /\left(\mathrm{k}^{\wedge} 2\right)$. |
| Option D: | $\mathrm{P}(\|\mathrm{x}-\mu\|>=\mathrm{k} \sigma)<=1 /\left(\mathrm{k}^{\wedge} 5\right)$. |
| Q9. | The value of CDF for any function should approcach |
| Option A: | 1 |
| Option B: | 0 |
| Option C: | -1 |
| Option D: | $\infty$ |
| Q10. | A variable which can assume finite or countably infinite number of values is known as: |
| Option A: | Continuous |
| Option B: | Discrete |
| Option C: | Qualitative |
| Option D: | None of the them |
| Q11. | Mean of random process is given by |
| Option A: | X(t) |
| Option B: | X2(t) |
| Option C: | E[X(t)] |
| Option D: | -X(t) |
|  |  |
| Q12. | If $\mathrm{P}(\mathrm{x})=0.4$ and $\mathrm{x}=5$, then $\mathrm{E}(\mathrm{x})=$ ? |
| Option A: | 1 |
| Option B: | 0.5 |
| Option C: | 4 |
| Option D: | 2 |
| Q13. | The probability of a continuous random variable " X " taking any particular value, k is always: |
| Option A: | Negative |
| Option B: | Zero |
| Option C: | One |
| Option D: | Two |
| Q14. | Occasionally, a state is entered which will not allow going to another state in the future. This is called |
| Option A: | stable mobility |
| Option B: | market saturation |
| Option C: | a terminal state |
| Option D: | an equilibrium state |
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| Q15. | $\operatorname{Rxx}(\tau)=\tau^{\wedge}\{3\}+\tau^{\wedge}\{4\}$ |
| :---: | :---: |
| Option A: | Is not a valid autocorrelation function |
| Option B: | Is a valid autocorrelation function |
| Option C: | Is cross correlation function |
| Option D: | Is not a covariance function |
| Q16. | The sampling distribution of the mean becomes approximately normally distributed only when which of the following conditions is met? |
| Option A: | The population is normally distributed. |
| Option B: | The sample size is large. |
| Option C: | A single random sample is drawn from the population. |
| Option D: | The standard deviation of the population is large. |
| Q17. | The conditional PMF of X given Y is |
| Option A: | $\mathrm{PX} \mid \mathrm{Y}(\mathrm{xi} \mid \mathrm{yj})=\mathrm{PY}(\mathrm{yj}) / \mathrm{PXY}(\mathrm{xi}, \mathrm{yj})$ |
| Option B: | PX\|Y(xi|yj) $=$ PXY(xi,yj)/PY(yj) |
| Option C: | PX\|Y(xi|yj) $=$ PXY(xi,yj)/PY(xi) |
| Option D: | PX\|Y(xi|yj) $=$ PXY(xi, yj)/PYX(yj,xi) |
|  |  |
| Q18. | Mean of a constant ' $a$ ' is |
| Option A: | 0 |
| Option B: | a |
| Option C: | a/2 |
| Option D: | 1 |
|  |  |
| Q19. | Which of the following distributions is Continuous |
| Option A: | Binomial Distribution |
| Option B: | Poisson Distribution |
| Option C: | Geometric Distribution |
| Option D: | Exponential Distribution |
|  |  |
| Q20. | Which algorithm is used for solving temporal probabilistic reasoning |
| Option A: | Hidden markov model |
| Option B: | Hill-climbing search |
| Option C: | Depth-first search |
| Option D: | Breadth-first search |
| Q21. | A random process is given by $\mathrm{X}(\mathrm{t})=\mathrm{A} \cos (\omega 0 \mathrm{t}+\theta)$ where $\theta=(0, \pi)$. Average power of random process is |
| Option A: | $\mathrm{A}^{\wedge}\{2\} / 2$ |
| Option B: | $\mathrm{A}^{\wedge}$ \{2\} |
| Option C: | 0.5 |
| Option D: | 0.6 |
|  |  |
| Q22. | Which theorem states that the larger the sample size, the closer the sample mean will be to the mean of the population? |
| Option A: | Law of large numbers |
| Option B: | Chebychevs Inequality |

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| Option C: | Convergence |
| :--- | :--- |
| Option D: | Central limit theorem |
|  |  |
| Q23. | In a joint distribution of x and y , the marginal PDF for X is given as |
| Option A: | $\mathrm{fx}(\mathrm{X})=\int \mathrm{f}(\mathrm{x}, \mathrm{y}) \mathrm{dy}$ |
| Option B: | $\mathrm{fx}(\mathrm{X})=\int \mathrm{f}(\mathrm{x}, \mathrm{y}) \mathrm{dx}$ |
| Option C: | $\mathrm{fx}(\mathrm{X})=\int \mathrm{f}(\mathrm{y}) \mathrm{dy}$ |
| Option D: | $\mathrm{fx}(\mathrm{X})=\int \mathrm{f}(\mathrm{x}) \mathrm{dx}$ |
|  |  |
| Q24. | The distribution function $\mathrm{F}(\mathrm{x})$ is equal to: |
| Option A: | $\mathrm{P}(\mathrm{X}=\mathrm{x})$ |
| Option B: | $\mathrm{P}(\mathrm{X} \leq \mathrm{x})$ |
| Option C: | $\mathrm{P}(\mathrm{X} \geq \mathrm{x})$ |
| Option D: | All of the above |
|  |  |
| Q25. | A continuous random variable X has pdf defined by $\mathrm{f}(\mathrm{x})=\mathrm{A}+\mathrm{Bx}, 0 \leq \mathrm{x} \leq 1 . \mathrm{If}$ the <br> mean of the distribution is $1 / 3$. Find A and B. <br> Option A: <br> $\mathrm{A}=1 \mathrm{~B}=3$ <br> Option B: <br> Aption $=9$ <br> Option $\mathrm{D}:$ <br> $\mathrm{A}=8 \mathrm{~B}=5$ $\mathrm{~A}=2 \mathrm{~B}=-2$ |

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Max. Marks: 50

| Question | Correct Option (Enter either 'A' or 'B' or 'C' or 'D') |
| :---: | :---: |
| Q1. | B |
| Q2. | A |
| Q3. | A |
| Q4 | D |
| Q5 | B |
| Q6 | C |
| Q7 | A |
| Q8. | C |
| Q9. | A |
| Q10. | B |
| Q11. | C |
| Q12. | D |
| Q13. | B |
| Q14. | D |
| Q15. | A |
| Q16. | B |
| Q17. | B |
| Q18. | B |
| Q19. | $\mathrm{D}$ |
| Q20. | A |
| Q21. | A |
| Q22. | D |
| Q23. | A |
| Q24. | B |
| Q25. | D |

