# Program: BE Civil Engineering 

## Curriculum Scheme: Revised 2016

Examination: Third Year Semester: V

## Course Code: CEC501 <br> Course Name: Structural Analysis-II

Time: 1 hour
Max. Marks: 50
Note to the students: All the Questions are compulsory and carry equal marks.

| Q1. | The number of independent displacement components at a rigid beam-column joint of a plane frame is |
| :---: | :---: |
| Option A: | One |
| Option B: | Two |
| Option C: | Three |
| Option D: | Four |
| Q2. | A pin-jointed plane frame with $(\mathrm{m})$ members, (j) joints \& (r) reactions, is unstable if |
| Option A: | $(\mathrm{m}+\mathrm{r})<2 \mathrm{j}$ |
| Option B: | $(m+r)=2 j$ |
| Option C: | $(m+r)>2 j$ |
| Option D: | $(m+j)>3 r$ |
| Q3. | Internal work of displacement multiplied by incremental load over the total loads and over the volume is known as |
| Option A: | Kinetic energy |
| Option B: | Potential energy |
| Option C: | Complementary energy |
| Option D: | Resilience |
| Q4. | For a simply supported beam of flexural rigidity (EI), with span "L", point load "W" at center, the central deflection is? |
| Option A: | $\left(\mathrm{WL}^{3}\right) / 48 \mathrm{EI}$ |
| Option B: | $\left(\mathrm{WL}^{2}\right) / 48 \mathrm{EI}$ |
| Option C: | $\left(\mathrm{WL}{ }^{4}\right) / 48 \mathrm{EI}$ |
| Option D: | (WL)/48EI |
| Q5. | When axial deformations are neglected in analysis of frames under temperature stresses, which condition is considered? |
| Option A: | Area of AFD $=0$ |
| Option B: | Area of $\mathrm{BMD}=0$ |
| Option C: | Coefficient of thermal expansion $=0$ |
| Option D: | Change in temperature $=0$ |
|  |  |
| Q6. | In Clapeyron's Theorem of Three Moments, with standard notations, $\mathrm{A}_{1}$ |


|  | represents area of first BMD on left side, then what is represented by $\mathrm{x}_{1}$ ? |
| :---: | :---: |
| Option A: | Deflection at point below the load |
| Option B: | Span from the left end. |
| Option C: | Centroid distance of first BMD from left end of the span. |
| Option D: | Point of Contra-flexure measured from left |
| Q7. | Flexibility method is |
| Option A: | Displacement method |
| Option B: | Energy method |
| Option C: | Force method |
| Option D: | Strain energy method |
| Q8. | The flexibility coefficient of free end of the cantilever (Length L \& flexural rigidity El) with the coordinate as a unit moment at the free end, is |
| Option A: | (L/EI) |
| Option B: | ( $\left.L^{2} / \mathrm{ELI}^{3}\right)$ |
| Option C: | ( $\left.L^{3} / E I\right)$ |
| Option D: | ( $\left.L^{4} / E I\right)$ |
| Q9. | If a spring has force (P) \& deformation ( $\Delta$ ), it's flexibility is |
| Option A: | $\mathrm{P} / \mathrm{\Delta}$ |
| Option B: | $\Delta / \mathrm{P}$ |
| Option C: | P X $\triangle$ |
| Option D: | $\mathrm{P}^{2} \Delta$ |
| Q10. | The stiffness matrix of an element is given as $\frac{2 \mathrm{EI}}{\mathrm{L}}\left[\begin{array}{ll}2 & 1 \\ 1 & 2\end{array}\right]$. Then Flexibility matrix is |
| Option A: | $\frac{\mathrm{L}}{5 \mathrm{EI}}\left[\begin{array}{cc}2 & -1 \\ -1 & 2\end{array}\right]$ |
| Option B: | $\frac{\mathrm{L}}{6 \mathrm{EI}}\left[\begin{array}{cc}2 & -1 \\ -1 & 2\end{array}\right]$ |
| Option C: | $\frac{\mathrm{L}}{2 \mathrm{EI}}\left[\begin{array}{ll}2 & 1 \\ 1 & 2\end{array}\right]$ |
| Option D: | $\frac{\mathrm{L}}{\text { 3EI }}\left[\begin{array}{cc}2 & -1 \\ -1 & 2\end{array}\right]$ |
| Q11. | Which of the following equation is used in Stiffness matrix method? Where [F] = External Force, $[\mathrm{PL}]=$ Forces in fully restrained structure, $[\mathrm{S}]=$ Stiffness matrix, [ $\Delta$ ] = Unknown displacement |
| Option A: | [F]=[PL]-[S][ $\Delta$ ] |
| Option B: | $[\Delta]=[\mathrm{PL}]+[\mathrm{S}][\mathrm{F}]$ |


| Option C: | $[\Delta]=[\mathrm{F}]+[\mathrm{S}][\mathrm{PL}]$ |
| :---: | :---: |
| Option D: | $[\mathrm{F}]=[\mathrm{PL}]+[\mathrm{S}][\Delta]$ |
| Q12. | Free moment diagram for a span AB of length 3 m carrying UDL of $10 \mathrm{kN} / \mathrm{m}$ is |
| Option A: | Triangle with maximum ordinate 7.5 kNm |
| Option B: | Symmetric Parabola with maximum ordinate 11.25 kNm |
| Option C: | Symmetric Parabola with maximum ordinate 28.7 kNm |
| Option D: | Triangle with maximum ordinate 15 kNm |
| Q13. | A two span continuous beam $A B C$ has left support $A$ as fixed support, $B$ and $C$ are roller supports. If the beam is to be analyzed by slope deflection method, what are the unknowns to be determined? |
| Option A: | $\theta_{a} \& \theta_{b}$ |
| Option B: | $\theta_{\mathrm{a}} \& \theta_{\mathrm{c}}$ |
| Option C: | $\theta_{\text {a }}$ |
| Option D: | $\theta_{b} \& \theta_{c}$ |
| Q14. | $A$ continuous beam $A B C$ has $A$ and $C$ as fixed supports and $B$ is the intermediate roller support. It carries a UDL of $30 \mathrm{kN} / \mathrm{m}$ in span $A B$ and $20 \mathrm{kN} / \mathrm{m}$ in span $B C$. Span $A B=B C=L$. El is constant throughout the section. What will be the slope deflection equation for $M_{b a}$ ( $\mathrm{M}_{\mathrm{fba}}$ is the fixed end moments)? |
| Option A: | $\mathrm{M}_{\mathrm{fba}}+2 \mathrm{EI} / \mathrm{L}\left(2 \theta_{\mathrm{A}}+\theta_{\mathrm{B}}-3 \Delta / \mathrm{L}\right)$ |
| Option B: | $\mathrm{M}_{\mathrm{fba}}+2 \mathrm{EI} / \mathrm{L}\left(\theta_{\mathrm{A}}+2 \theta_{\mathrm{B}}-3 \Delta / \mathrm{L}\right)$ |
| Option C: | $\mathrm{M}_{\mathrm{fba}}+2 \mathrm{El} / \mathrm{L}\left(\theta_{\mathrm{A}}+\theta_{\mathrm{B}}-3 \Delta / \mathrm{L}\right)$ |
| Option D: | $\mathrm{M}_{\mathrm{fba}}+2 \mathrm{EI} / \mathrm{L}\left(2 \theta_{\mathrm{A}}+\theta_{\mathrm{B}}-2 \Delta / \mathrm{L}\right)$ |
| Q15. | What is stiffness? |
| Option A: | When a moment is applied at one end of a member allowing rotation of that end and fixing the far end, some moment develops at the far end also. |
| Option B: | The ratio of moment shared by a member to the applied moment at the joint |
| Option C: | Moment required to rotate an end by unit angle (1 radian) when rotation is permitted at the end. |
| Option D: | The ratio of carry over moment to applied moment |
| Q16. | Displacement factor in Kani's method |
| Option A: | $-\frac{1}{2}\left(\frac{k}{\in k}\right)$ |
| Option B: | $-\frac{3}{2}\left(\frac{k}{\in k}\right)$ |
| Option C: | $\frac{1}{2}\left(\frac{k}{\epsilon k}\right)$ |
| Option D: | $\frac{3}{2}\left(\frac{k}{\epsilon k}\right)$ |


| Q17. | A propped cantilever of span (L) is subjected to a concentrated load at mid-span. If $M_{p}$ is plastic moment capacity of beam, then the value of collapse load will be |
| :---: | :---: |
| Option A: | $12 \mathrm{M} / \mathrm{L}$ |
| Option B: | $8 \mathrm{M} / \mathrm{L}$ |
| Option C: | $6 \mathrm{M}_{\mathrm{p}} / \mathrm{L}$ |
| Option D: | $4 \mathrm{M}_{\mathrm{p}} / \mathrm{L}$ |
| Q18. | Plastic analysis is applicable to a structure made of which one of the following? |
| Option A: | Ductile \& brittle materials |
| Option B: | Any structural material |
| Option C: | Brittle material only |
| Option D: | Ductile material only |
| Q19. | The moment capacity at a section of plastic hinge equals |
| Option A: | Yield moment |
| Option B: | Zero |
| Option C: | Fully plastic moment |
| Option D: | Twice the yield moment |
| Q20. | Portal frames are frequently used in a building to |
| Option A: | Transfer vertical forces |
| Option B: | Transfer moment |
| Option C: | Transfer horizontal forces |
| Option D: | Transfer horizontal force applied at top of frame to foundation |
| Q21. | What is the degree of static indeterminacy of a simple portal frame whose both ends are fixed? |
| Option A: | Zero |
| Option B: | One |
| Option C: | Two |
| Option D: | Three |
| Q22. | How many slope deflection equations are available for a three span continuous beams |
| Option A: | 3 |
| Option B: | 6 |
| Option C: | 4 |
| Option D: | 8 |
| Q23. | The size of the flexibility matrix for a simple portal frame with one end fixed \& other end roller- supported is |
| Option A: | $(1 \times 1)$ |
| Option B: | (2 X2) |
| Option C: | (3 X3) |
| Option D: | (4 X 4) |


| Q24. | Theorem of least work is also known as |
| :--- | :--- |
| Option A: | Castigliano's first theorem |
| Option B: | Castigliano's second theorem |
| Option C: | Principle of virtual work |
| Option D: | Betty's theorem |
|  |  |
| Q25. | In moment distribution method, at a joint, if distribution factor for one member <br> is 0.4, what is the distribution factor for the other member at the same joint? |
| Option A: | 0.6 |
| Option B: | 0.5 |
| Option C: | 0.2 |
| Option D: | 0.4 |

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## Answer Keys:

| Question | Correct Option <br> (Enter either 'A' or 'B' or <br> 'C' or 'D') |
| :--- | :--- |
| Q1. | C |
| Q2. | A |
| Q3. | C |
| Q4 | A |
| Q5 | A |
| Q6 | C |
| Q7 | C |
| Q8. | A |
| Q9. | B |
| Q10. | B |
| Q11. | D |
| Q12. | B |
| Q13. | D |
| Q14. | B |
| Q15. | C |
| Q16. | B |
| Q17. | C |
| Q18. | D |
|  |  |


| Q19. | C |
| :--- | :--- |
| Q20. | C |
| Q21. | D |
| Q22. | B |
| Q23. | A |
| Q24. | B |
| Q25. | A |

