## University of Mumbai

Examination 2020 under cluster 4 (PCE)

> Program: BE Information Technology
> Curriculum Scheme: Rev 2012
> Examination: Final Year Semester VIII
> Course Code: ITC8044 and Course Name: Robotics

Time: 1 hour

| Q NO | QUESTION ( 2 marks per question) | OPTIONS |  |  |  | Correct Answer |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | A | B | C | D |  |
| 1 | What type of joint is used for linear motion in robot arm? | Rotational Joint | Prismatic Joint | Twisting Joint | Revolving <br> Joints | B |
| 2 | Which of the following is not the application of Robotics? | Industries | Military | Medicine | Hills | D |
| 3 | The Kinematic parameters of robot arm is | Өk , dk | $\mathrm{ak}, \mathrm{ak}$ | Ok , dk , ak, ak | Ok, ak | C |
| 4 | By using inverse kinematics, we can find $\qquad$ parametres | Joint <br> parametres | link parametres | Joint and link parametres | displacement parametres | A |
| 5 | What is the function of Jacobian matrix? | Relates cartesian velocity of a manipulator with its joint velocity | Cannot be used to control a manipulator | Cannot be used to check sinrularity of a manipulator | Is used to determine the joint torques and forces | A |


| 6 | In Jacobians matrix of any dimension rows and columns equal to | The number of rows equals the number of degrees of freedom and the number of columns is equal to the number of joints of the manipulator | The number of rows equals the number of joints of the manipulator equals and the number of columns is equal to the number of degrees of freedom | The number of rows equals the number offorces acting on manipulator and the number of columns is equal to the number of degrees of freedom | The number of rows equals the number of joints of the manipulator and the number of columns is equal to Torques | A |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 7 | The equation $\delta \mathrm{x} / \delta \mathrm{t}=\mathrm{J} \delta \mathrm{q} / \delta \mathrm{t}$ tell us that | The end effctor velocity is equal to the jacobian J multiplied by the joint angle velocity | The end effctor velocity | the joint angle velocity is equal to the jacobian J multiplied by The end effctor velocity | the joint angle velocity | A |
| 8 | What is mean by forward dynamics? | Calculation of torques equation | Calculation of motion equation if joint torques or end-effector forces are given | Calculation of motion equation | Calculation of joint torques or end-effector forces if motion variables are given | B |
| 9 | Finding joint torques given by joint angles, velocities and acceleration as input is known | Dynamics | Kinematics | Inverse <br> kinematics | Inverse <br> Dynamatics | D |
| 10 | If $K$ denotes the kinetic enery,p denotes the potential energy, denotes langrangian, $\theta i$ denotes joint variable of manipulator, then dynamic equation is given by | $\mathrm{d} / \mathrm{dt}(\delta \mathrm{L} / \delta \theta \mathrm{i})$ $\delta \mathrm{L} / \delta \theta \mathrm{i}=\tau$ and $\mathrm{L}=\mathrm{K}+\mathrm{P}$ | $\mathrm{d} / \mathrm{dt}(\delta \mathrm{L} / \delta \theta \mathrm{i})$ $\delta \mathrm{L} / \delta \theta \mathrm{i}=\tau$ and $\mathrm{L}=\mathrm{K}-\mathrm{P}$ | $\mathrm{d} / \mathrm{dt}(\delta \mathrm{L} / \delta \theta \mathrm{i})+$ <br> $\delta \mathrm{L} / \delta \theta \mathrm{i}=\tau$ and $\mathrm{L}=\mathrm{K}+\mathrm{P}$ | $\begin{aligned} & \mathrm{d} / \mathrm{dt}(\delta \mathrm{~L} / \delta \theta \mathrm{i})- \\ & +\delta \mathrm{L} / \delta \theta \mathrm{i}=\tau \\ & \text { and L=K-P } \end{aligned}$ | B |


| 11 | When planning a trajectory for the three orientation angles, the resulting global motion cannot be intuitively $\qquad$ in advance | interpolated | visualized | applied | added | B |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 12 | A complete specification of location of the robot is called its | configuration | space | workspace | obstacles | A |
| 13 | Which of the following statement is FALSE? Robot's trajectory function can be | a polynomial function | an exponential function | a pure linear function | a linear function with teo parabolic blends put at the ends | C |
| 14 | $\qquad$ provide a suitable solution class for satisfying symmetric boundary conditions in a point-to-point motion that imposes zero values on higher-order derivatives. | Lower-order polynomials | Higher-order polynomials | Quintic polynomial | Cubic polynomial | B |
| 15 | 1) head toward goal <br> 2) if an obstacle is encountered, circumnavigate it and remember how close you get to the goal <br> 3) return to that closest point (by wall-following) and continue <br> These are the steps of $\qquad$ algorithm | BUG '0' | BUG 1 | BUG 2 | Tangent BUG | B |
| 16 | $\qquad$ is the shortest distance between any point in the currently sensed environment and the goal. | dmin | dmax | dstart | dleave | D |
| 17 | Bug 1 and Bug 2 algorithms assume essentially $\qquad$ sensing | local | tactile | global | distance | B |
| 18 | A function is $\qquad$ if every critical point (a point where the gradient is zero) is isolated. | Navigation | Morse | Potential | Gradient <br> Descent | B |


| 19 | There is a path from some q" RM to qgoal Qfree is called | Departability | Accessibility | Connectivity | Visibility | A |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 20 | The free space F is represented by a collection of non-overlapping cells whose union is exactly F is called as | Exact cell decomposition | Approximate cell decomposition | Cell decomposition | Potential field | A |
| 21 | Using $\qquad$ , we can construct an adjacency graph which can be used for both navigation of a robot and coverage. | trapezoidal cells | adjacent cells | cell | morse cell | A |
| 22 | Attractive Potential method is based on attractive potential field due to the $\qquad$ | obstacle | goal | start point | negative gradient | B |
| 23 | Behavior-based robotics works based on | Relative Velocity Approach | Incremental planning | Reactive <br> Control <br> Strategy | Potential Field <br> Approach | C |
| 24 | N -th order polynomials have $\qquad$ maximum and minimum points. | N-1 | N | N+1 | 2N | A |
| 25 | The Lagrange's equation is used to | derive equations of Torques | derive equations of differntial motion | derive equations of force | derive <br> equations of motion | D |

