## University of Mumbai Online Examination 2020

Program: BE Chemical Engineering

Curriculum Scheme: Revised 2016

Examination: Fourth Year Semester VII

Course Code: CHC703

## Course Name: Process Dynamics and Control

\_\_\_\_\_

Time: 1 hour

Max. Marks: 50

Note to the students:- All Questions are compulsory and carry equal marks .

| Q1.       | The process variables that can be adjusted in order to keep the controlled  |
|-----------|---|
|           | variables at or near their set points                                       |
| Option A: | Manipulated variable  |
| Option B: | Controlled variable   |
| Option C: | Disturbance variable  |
| Option D: | Load variable   |
|           |   |
| Q2.       | For a proportional controller the controller output will be proportional to |
| Option A: | Load variable   |
| Option B: | Measured variable value   |
| Option C: | Disturbance value   |
| Option D: | Deviation from the set point  |
|           |   |
| Q3.       | If the disturbance variable is measured, the control strategy is called as  |
| Option A: | Feedback control  |
| Option B: | Feed forward control  |
| Option C: | Inferential control   |
|           |   |

| Option D: | D: Cascade control   |  |
|-----------|--|--|
| Q4.       | A stirred-tank blending process with a constant liquid holdup of 2 m3 is used<br>to blend two streams whose densities are both approximately 900 kg/m3.<br>The density does not change during mixing. Assume that the process has<br>been operating for a long period of time with flow rates of w1 = 500 kg/min<br>and w2 = 200 kg/min, and feed compositions (mass fractions) of x1 = 0.4<br>and x2 = 0.75. What is the steady-state value of x? |  |
| Option A: | 0.5  |  |
| Option B: | 1  |  |
| Option C: | 0.8  |  |
| Option D: | 0.3  |  |
| Q5.       | Time constant of Transportation lag is   |  |
| Option A: | e <sup>-ts</sup>   |  |
| Option B: | e <sup>ts</sup>  |  |
| Option C: | $1 + e^{-\tau s}$  |  |
| Option D: | $1-e^{-\tau s}$  |  |
| Q6.       | Transfer function of two tank interacting system relating height of liquid in second tank to inlet flow to first tank, where $\tau_1$ and $\tau_2$ are time constants of first and second tanks respectively and $R_1$ and $R_2$ are resistances of outlet valve of first and second tanks respectively.   |  |
| Option A: | $H_2(s)/Q(s) = R_2/[\tau_1 \tau_2 s^2 + (\tau_{1+} \tau_2)s + 1]$  |  |
| Option B: | $H_2(s)/Q(s) = R_2/[\tau_1 \tau_2 s^2 + (\tau_{1+} \tau_2 + A_1 R_2)s + 1]$  |  |
| Option C: | $H_2(s)/Q(s) = R_1/[\tau_1 \tau_2 s^2 + (\tau_{1+} \tau_2 + A_1R_2)s + 1]$   |  |
| Option D: | $H_2(s)/Q(s) = R_1/[\tau_1 \tau_2 s^2 + (\tau_{1+} \tau_2)s + 1]$  |  |
| Q7.       | A linear system at rest is subject to an input signal $R(t)=1-e^{-2t}$ . The response of the system for t >0 is given by $C(t)=1-e^{-3t}$ . The transfer function of the   |  |

|           | system is:   |  |
|-----------|--|--|
| Option A: | 3(s+2)/2(s+3)  |  |
| Option B: | (s+2)/(s+3)  |  |
| Option C: | 2(s+3)/(s+2)   |  |
| Option D: | (s+3)/2(s+2)   |  |
| Q8.       | For a second order under damped step response, Decay ratio is  |  |
| Option A: | 1/ Over shoot  |  |
| Option B: | (Overshoot) <sup>1/2</sup>   |  |
| Option C: | (Over shoot) <sup>2</sup>  |  |
| Option D: | $1/(\text{Overshoot})^2$   |  |
|           |  |  |
| Q9.       | If two tanks are connected in series in interacting manner, the transfer function relating the output of second tank to the input to first tank is of order. |  |
| Option A: | zero order   |  |
| Option B: | first order  |  |
| Option C: | second order   |  |
| Option D: | third order  |  |
| Q10.      | For undamped second order response, damping coefficient (ξ) is   |  |
| Option A: | equal to1  |  |
| Option B: | greater than 1   |  |
| Option C: | less than 1  |  |
| Option D: | Equal to 0   |  |
| SPace D.  |  |  |
| Q11.      | In Regulator problem,  |  |
|           |  |  |

| Option A: Load is variable but set point is variable   Option B: Load is constant but set point is variable   Option D: Load and set point, both are constants   Option D: Load and set point, both are variables   Q12. In proportional control, offset is defined as   Option A: Steady state error in manipulated variable   Option D: unsteady state error in controlled variable   Option D: Steady state error in controlled variable   Option A: Proportional integral control   Option A: Proportional integral control   Option B: Proportional derivative control   Option D: Proportional integral derivative control   Option A: Proportional integral derivative control   Option A: Proportional integral derivative control   Option A: P(s)/ $\epsilon(s) = Kc[1+\tau_{D} s]$ Option B: P(s)/ $\epsilon(s) = Kc[1-\tau_{D} s]$ Option C: P(s)/ $\epsilon(s) = Kc[1-\tau_{D} s]$ |           |   |  |
|---|-----------|---|--|
| Option C: Load and set point, both are constants   Option D: Load and set point, both are variables   Q12. In proportional control, offset is defined as   Option A: Steady state error in manipulated variable   Option B: unsteady state error in controlled variable   Option D: Steady state error in controlled variable   Option D: unsteady state error in controlled variable   Option D: Steady state error in controlled variable   Option D: Steady state error in controlled variable   Q13. Control which is suitable economically if no offset and no oscillations is tolerable   Option B: Proportional control   Option C: Proportional control   Option C: Proportional control   Option C: Proportional derivative control   Option D: Proportional integral derivative control   Q14. Transfer function for a Proportional Derivative controller is   Option C: $P(s)/\epsilon(s) = Kc[1+1/(\tau_D s) ]$ Option C: $P(s)/\epsilon(s) = Kc[1-\tau_D s]$ Option D: $P(s)/c(s) = Kc[1-\tau_D s]$ Option D: $P(s)/c(s) = Kc[1-\tau_D s]$ Option D: $P(s)/c(s) = Kc[1-\tau_D s]$                          | Option A: | Load is variable but set point is constant                    |  |
| Option D: Load and set point, both are variables   Q12. In proportional control, offset is defined as   Option A: Steady state error in manipulated variable   Option B: unsteady state error in controlled variable   Option D: Steady state error in controlled variable   Option D: Steady state error in controlled variable   Option D: Steady state error in controlled variable   Q13. Control which is suitable economically if no offset and no oscillations is tolerable   Option A: Proportional integral control   Option B: Proportional control   Option C: Proportional derivative control   Option D: Proportional derivative control   Option C: Proportional integral derivative control   Option A: Proportional derivative control   Q14. Transfer function for a Proportional Derivative controller is   Option B: P(s)/c(s) = Kc[1+t/t <sub>D</sub> s]   Option C: P(s)/c(s) = Kc[1-t/t <sub>D</sub> s]   Option C: P(s)/c(s) = Kc[1-t_D s]   Q14. Transfer function for a Proportional Derivative controller is   Option C: P(s)/c(s) = Kc[1-t_D s]   Option D: P(s)/c(s) = Kc[1-t_D s]          | Option B: | Load is constant but set point is variable                    |  |
| Q12. In proportional control, offset is defined as   Option A: Steady state error in manipulated variable   Option B: unsteady state error in controlled variable   Option C: unsteady state error in controlled variable   Option D: Steady state error in controlled variable   Q13. Control which is suitable economically if no offset and no oscillations is tolerable   Option A: Proportional integral control   Option B: Proportional control   Option C: Proportional control   Option D: Proportional derivative control   Option D: Proportional derivative control   Option D: Proportional integral derivative control   Option A: P(s)/ $\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option B: P(s)/ $\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option B: P(s)/ $\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option B: P(s)/ $\epsilon(s) = Kc[1-1/(\tau_D s)]$ Option C: P(s)/ $\epsilon(s) = Kc[1-\tau_D s]$ Option D: P(s)/ $\epsilon(s) = Kc[1-\tau_D s]$ Option D: P(s)/ $\epsilon(s) = Kc[1-\tau_D s]$ Q15. Amplitude Ratio of time lag is   | Option C: | Load and set point, both are constants                        |  |
| Option A:Steady state error in manipulated variableOption B:unsteady state error in controlled variableOption C:unsteady state error in controlled variableOption D:Steady state error in controlled variableQ13.Control which is suitable economically if no offset and no oscillations is<br>tolerableOption A:Proportional integral controlOption B:Proportional controlOption C:Proportional derivative controlOption D:Proportional derivative controlOption A:Proportional derivative controlOption A:Proportional integral derivative controlOption B:Proportional integral derivative controlOption D:Proportional integral derivative controlOption B:P(s)/ $\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option A:P(s)/ $\epsilon(s) = Kc[1+\tau_D s]$ Option C:P(s)/ $\epsilon(s) = Kc[1-\tau_D s]$ Option C:P(s)/ $\epsilon(s) = Kc[1-\tau_D s]$ Option D:P(s)/ $\epsilon(s) = Kc[1-\tau_D s]$ Q15.Amplitude Ratio of time lag is  | Option D: | Load and set point, both are variables                        |  |
| Option B:unsteady state error in controlled variableOption C:unsteady state error in controlled variableOption D:Steady state error in controlled variableQ13.Control which is suitable economically if no offset and no oscillations is<br>tolerableOption A:Proportional integral controlOption B:Proportional controlOption C:Proportional derivative controlOption D:Proportional derivative controlOption A:Proportional derivative controlOption A:Proportional derivative controlOption B:Proportional derivative controlOption B:Proportional integral derivative controlOption B:Proportional integral derivative controlOption B:P(s)/ $\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option B:P(s)/ $\epsilon(s) = Kc[1+\tau_D s]$ Option C:P(s)/ $\epsilon(s) = Kc[1-\tau_D s]$ Option D:P(s)/ $\epsilon(s) = Kc[1-\tau_D s]$ Q15.Amplitude Ratio of time lag is  | Q12.      | In proportional control, offset is defined as                 |  |
| Option C:unsteady state error in manipulated variableOption D:Steady state error in controlled variableQ13.Control which is suitable economically if no offset and no oscillations is<br>tolerableOption A:Proportional integral controlOption B:Proportional controlOption C:Proportional derivative controlOption D:Proportional integral derivative controlOption A:Proportional integral derivative controlOption D:Proportional integral derivative controlOption B:Proportional integral derivative controlOption B:Proportional integral derivative controlOption B:Proportional integral derivative controlOption B:Prostect(1+1/(t_D s) ]Option B:P(s)/ $\epsilon$ (s) = Kc[1+1/(t_D s) ]Option B:P(s)/ $\epsilon$ (s) = Kc[1-1/(t_D s) ]Option D:P(s)/ $\epsilon$ (s) = Kc[1-1/(t_D s) ]Option D:P(s)/ $\epsilon$ (s) = Kc[1-1/(t_D s) ]Option D:Q15.Amplitude Ratio of time lag is   | Option A: | Steady state error in manipulated variable                    |  |
| Option D:Steady state error in controlled variableQ13.Control which is suitable economically if no offset and no oscillations is<br>tolerableOption A:Proportional integral controlOption B:Proportional controlOption C:Proportional derivative controlOption D:Proportional integral derivative controlOption A: $P(s)/\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option A: $P(s)/\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option B: $P(s)/\epsilon(s) = Kc[1-1/(\tau_D s)]$ Option C: $P(s)/\epsilon(s) = Kc[1-1/(\tau_D s)]$ Option D: $P(s)/\epsilon(s) = Kc[1-\tau_D s]$ Option D: $P(s)/\epsilon(s) = Kc[1-\tau_D s]$ Q15.Amplitude Ratio of time lag is   | Option B: | unsteady state error in controlled variable                   |  |
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| Option B:Proportional controlOption C:Proportional derivative controlOption D:Proportional integral derivative controlQ14.Transfer function for a Proportional Derivative controller isOption A: $P(s)/\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option B: $P(s)/\epsilon(s) = Kc[1+\tau_D s]$ Option C: $P(s)/\epsilon(s) = Kc[1-1/(\tau_D s)]$ Option D: $P(s)/\epsilon(s) = Kc[1-\tau_D s]$ Option D: $P(s)/\epsilon(s) = Kc[1-\tau_D s]$ Q15.Amplitude Ratio of time lag is   | Q13.      |   |  |
| Option C:Proportional derivative controlOption D:Proportional integral derivative controlQ14.Transfer function for a Proportional Derivative controller isOption A: $P(s)/\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option B: $P(s)/\epsilon(s) = Kc[1+\tau_D s]$ Option C: $P(s)/\epsilon(s) = Kc[1-1/(\tau_D s)]$ Option D: $P(s)/\epsilon(s) = Kc[1-\tau_D s]$ Q15.Amplitude Ratio of time lag is  | Option A: | Proportional integral control                                 |  |
| Option D:Proportional integral derivative controlQ14.Transfer function for a Proportional Derivative controller isOption A: $P(s)/\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option B: $P(s)/\epsilon(s) = Kc[1+\tau_D s]$ Option C: $P(s)/\epsilon(s) = Kc[1-1/(\tau_D s)]$ Option D: $P(s)/\epsilon(s) = Kc[1-\tau_D s]$ Q15.Amplitude Ratio of time lag is  | Option B: | Proportional control  |  |
| Q14.Transfer function for a Proportional Derivative controller isOption A: $P(s)/\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option B: $P(s)/\epsilon(s) = Kc[1+\tau_D s]$ Option C: $P(s)/\epsilon(s) = Kc[1-1/(\tau_D s)]$ Option D: $P(s)/\epsilon(s) = Kc[1-\tau_D s]$ Q15.Amplitude Ratio of time lag is   | Option C: | Proportional derivative control                               |  |
| Option A: $P(s)/\epsilon(s) = Kc[1+1/(\tau_D s)]$ Option B: $P(s)/\epsilon(s) = Kc[1+\tau_D s]$ Option C: $P(s)/\epsilon(s) = Kc[1-1/(\tau_D s)]$ Option D: $P(s)/\epsilon(s) = Kc[1-\tau_D s]$ Q15.Amplitude Ratio of time lag is  | Option D: | Proportional integral derivative control                      |  |
| Option B: $P(s)/\epsilon(s) = Kc[1 + \tau_D s]$ Option C: $P(s)/\epsilon(s) = Kc[1 - 1/(\tau_D s)]$ Option D: $P(s)/\epsilon(s) = Kc[1 - \tau_D s]$ Q15.Amplitude Ratio of time lag is  | Q14.      | Transfer function for a Proportional Derivative controller is |  |
| Option C: $P(s)/\epsilon(s) = Kc[1-1/(\tau_D s)]$ Option D: $P(s)/\epsilon(s) = Kc[1-\tau_D s]$ Q15.Amplitude Ratio of time lag is  | Option A: | $P(s)/\epsilon(s) = Kc[1+1/(\tau_D s)]$                       |  |
| Option D: $P(s)/\epsilon(s) = Kc[1 - \tau_D s]$ Q15. Amplitude Ratio of time lag is   | Option B: | $P(s)/\epsilon(s) = Kc[1+\tau_D s]$                           |  |
| Q15. Amplitude Ratio of time lag is   | Option C: | $P(s)/\epsilon(s) = Kc[1-1/(\tau_D s)]$                       |  |
|   | Option D: | $P(s)/\epsilon(s) = Kc[1-\tau_D s]$                           |  |
| Option A: 0   | Q15.      | Amplitude Ratio of time lag is                                |  |
|   | Option A: | 0   |  |

| Option B: | 1   |  |
|-----------|---|--|
| Option C: | ω   |  |
| Option D: | -1  |  |
|           |   |  |
| Q16.      | Bode diagram are generated from output response of system subjected to which of the following input?                                      |  |
| Option A: | Impulse   |  |
| Option B: | Step  |  |
| Option C: | Sinusoidal  |  |
| Option D: | Ramp  |  |
|           |   |  |
| Q17.      | The bode plot of the system gives values of Gain Margin (GM) is 20 decibel<br>and Phase margin (PM) is 39°, then the respective system is |  |
| Option A: | stable  |  |
| Option B: | unstable  |  |
| Option C: | oscillatory   |  |
| Option D: | oscillatory with high amplitude   |  |
| Q18.      | For Complex model which modelling technique is mostly preferred?  |  |
| Option A: | Theoretical Modelling   |  |
| Option B: | Empirical Modelling   |  |
| Option C: | Stochastic Modelling  |  |
| Option D: | Rigorous Modelling  |  |
| Q19.      | Regression provides unique solution for the model parameters if?  |  |
| _         |   |  |
| Option A: | Number of data points is equal to number of model parameters  |  |
| Option B: | Number of data points is more the number of model parameters  |  |
| Option C: | Number of data points is less than the number of model parameters   |  |

| Option D: | Number of data points is square the number of model parameters  |  |
|-----------|---|--|
| Q20.      | Bode diagram is plot of   |  |
| Option A: | $\log (AR)$ vs. $\log(\omega)$ and $\log (\phi)$ vs. $\log (\omega)$  |  |
| Option B: | $\log (AR)$ vs. ( $\omega$ ) and $\log (\phi)$ vs. ( $\omega$ )   |  |
| Option C: | (AR) vs. log ( $\omega$ ) and ( $\phi$ ) vs. ( $\omega$ )   |  |
| Option D: | $\log (AR)$ vs. $\log (\omega)$ and $(\phi)$ vs. $\log (\omega)$  |  |
| Q21.      | The ISE criterion is used when?   |  |
| Option A: | large errors are present  |  |
| Option B: | small errors are present  |  |
| Option C: | long persiting error  |  |
| Option D: | weighted error are present  |  |
| Q22.      | If the process of interest can be approximated by a first-order or second-<br>order linear model, the model parameters can be obtained by inspection of |  |
| Option A: | Process Reaction Curve  |  |
| Option B: | Process Intensification   |  |
| Option C: | Process Linearization   |  |
| Option D: | Process Curve   |  |
| Q23.      | Amplitude Ratio for 1st and 2nd order system is   |  |
| Option A: | >1  |  |
| Option B: | < 1   |  |
| Option C: | = 1   |  |
| Option D: | = 0   |  |

| Q24.      | Disadvantage of proportional control action is                 |
|-----------|--|
| Option A: | A more oscillatory behavior                                    |
| Option B: | Greater value of offset  |
| Option C: | More time to control output                                    |
| Option D: | Unstable response  |
|           |  |
| Q25.      | The major disadvantage of the time-delay estimation method is? |
| Option A: | Locating Point of inflection                                   |
| Option B: | Slope of noise   |
| Option C: | Time constant  |
| Option D: | Small gain   |
|           |  |

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## University of Mumbai Online Examination 2020

Program: BE Chemical Engineering

Curriculum Scheme: Revised 2016

Examination: Fourth Year Semester VII

Course Code: CHC703

## Course Name: Process Dynamics and Control

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Time: 1 hour

Max. Marks: 50

| Question | Correct Option                            |
|----------|---|
|          | (Enter either 'A' or 'B' or 'C' or<br>'D' |
| Q1.      | A   |
| Q2.      | D   |
| Q3.      | В   |
| Q4       | A   |
| Q5       | A   |
| Q6       | В   |
| Q7       | A   |
| Q8.      | с   |
| Q9.      | с   |
| Q10.     | D   |
| Q11.     | A   |
| Q12.     | D   |
| Q13.     | D   |
| Q14.     | В   |
| Q15.     | В   |

| Q16. | С |
|------|---|
| Q17. | А |
| Q18. | В |
| Q19. | А |
| Q20. | D |
| Q21. | А |
| Q22. | А |
| Q23. | В |
| Q24. | В |
| Q25. | А |