| Q | Empirical Models can be used for? | M |  | 1 |
| :---: | :---: | :---: | :---: | :---: |
| A | System which are simple |  | 0 | 1 |
| A | System which is understood |  | 0 | 2 |
| A | System which are highly complex |  | 1 | 3 |
| A | System have one independent variable |  | 0 | 4 |
| Q | Theoretical Modelling is based on? | M |  | 1 |
| A | Chemistry \& Physics of Process |  | 1 | 1 |
| A | Experiments data |  | 0 | 2 |
| A | Rigorous data |  | 0 | 3 |
| A | Simulation |  | 0 | 4 |
| Q | Empirical Modelling is basically derived using? | M |  | 1 |
| A | Conservation Equations |  | 0 | 1 |
| A | Experimental data |  | 1 | 2 |
| A | Chemistry \& Physics of Process |  | 0 | 3 |
| A | Simulation |  | 0 | 4 |
| Q | For Complex model which modelling technique is not mostly preferred? | M |  | 1 |
| A | Empirical Modelling |  | 0 | 1 |
| A | Theoretical Modelling |  | 1 | 2 |
| A | Variable Modelling |  | 0 | 3 |
| A | Parameter Modelling |  | 0 | 4 |
| Q | Parameter estimation on model development using regression is based on? | M |  | 1 |
| A | Maximisation of difference between model predictions and data. |  | 0 | 1 |
| A | Model predictions are varying exponential as data calculated. |  | 0 | 2 |
| A | Minimisation of difference between model predictions and data. |  | 1 | 3 |
| A | Model predictions are square of the data. |  | 0 | 4 |
| Q | Equation of motion is | M |  | 1 |
| A | Conservation of mass |  | 0 | 1 |
| A | Conservation of energy |  | 0 | 2 |
| A | Conservation of momentum |  | 1 | 3 |


| A | Component continuity equation |  | 0 | 4 |
| :---: | :---: | :---: | :---: | :---: |
| Q | The model equation describe chemical kinetics | M |  | 1 |
| A | Law of mass action |  | 1 | 1 |
| A | Raoult's law |  | 0 | 2 |
| A | Daltons's law |  | 0 | 3 |
| A | Phase equilibrium relations |  | 0 | 4 |
| Q | Which model follows the changes over time that results from the system activities | M |  | 1 |
| A | Dynamic model |  | 1 | 1 |
| A | Static model |  | 0 | 2 |
| A | Analytical model |  | 0 | 3 |
| A | Numerical model |  | 0 | 4 |
| Q | Mathematical models are based on | M |  | 1 |
| A | Analogy between such systems are mechanical and electrical |  | 0 | 1 |
| A | Mathematical equations to represent the system |  | 1 | 2 |
| A | Analysis |  | 0 | 3 |
| A | Numerical methods |  | 0 | 4 |
| Q | Which model based on physical and chemical laws, thermodynamics, chemical reaction, kinetics are frequently employed in optimization application | M |  | 1 |
| A | Process model |  | 0 | 1 |
| A | Mathematical model |  | 1 | 2 |
| A | Empirical model |  | 0 | 3 |
| A | Linear model |  | 0 | 4 |
| Q | Which model can be devised to correlate input output data without any physiochemical analysis of the process | M |  | 1 |
| A | Linear model |  | 0 | 1 |
| A | Process model |  | 0 | 2 |
| A | Mathematical model |  | 0 | 3 |
| A | Empirical model |  | 1 | 4 |
| Q | Which type of mathematical model takes into account detailed variations in behavior from point to point throughout the system? | M |  | 1 |
| A | Distributed parameter model |  | 1 | 1 |



| A | No of equations=no of unknown variables |  | 1 | 1 |
| :---: | :---: | :---: | :---: | :---: |
| A | No of equations < no of unknown variables |  | 0 | 2 |
| A | No of equations > no of unknown variables |  | 0 | 3 |
| A | No of equations < no of all variable present |  | 0 | 4 |
| Q | For a CSTR with cooling jacket, the model used with breakup of the jacket volume into number of perfectly mixed lumps is | M |  | 1 |
| A | Plug flow cooling jacket |  | 0 | 1 |
| A | Lumped jacket model |  | 1 | 2 |
| A | Perfectly mixed cooling jacket |  | 0 | 3 |
| A | Isothermal CSTR model |  | 0 | 4 |
|  | For a CSTR with perfectly mixed cooling jacket with temp Tj. The temperature inside the reactor is T . U is overall heat transfer coefficient and A is area of heat |  |  |  |
| Q | transfer. What is the model equation to find heat transfer rate | M |  |  |
| A | $\mathrm{Q}=\mathrm{UA}\left(\mathrm{T}_{\mathrm{j}}-\mathrm{T}\right)$ |  | 0 |  |
| A | $\mathrm{Q}=\mathrm{UA}\left(\mathrm{T}-\mathrm{T}_{\mathrm{j}}\right)$ |  | 1 |  |
| A | $\mathrm{Q}=\mathrm{UA}\left(\mathrm{T}+\mathrm{T}_{\mathrm{j}}\right)$ |  | 0 |  |
| A | $\mathrm{Q}=\mathrm{UA} /\left(\mathrm{T}-\mathrm{T}_{\mathrm{j}}\right.$ |  | 0 |  |
| Q | According to phase rule, Degree of freedom analysis is done by | M |  |  |
| A | $\mathrm{F}=\mathrm{C}-\mathrm{P}$ |  | 0 |  |
| A | $\mathrm{F}=\mathrm{C}-\mathrm{P}+1$ |  | 0 |  |
| A | $\mathrm{F}=\mathrm{C}-\mathrm{P}+2$ |  | 1 |  |
| A | $\mathrm{F}=\mathrm{P}-\mathrm{C}+1$ |  | 0 |  |
| Q | For " n " component flash operation Degree of freedom is | M |  |  |
| A | 0 |  | 0 |  |
| A | 1 |  | 0 |  |
| A | 2 |  | 1 |  |
| A | 3 |  | 0 |  |
| Q | Recovery of a component in multi-component flash is defined as a ratio of: | M |  |  |
| A | Amount of component in Liquid phase to that in Gas phase |  | 0 |  |
| A | Amount of component in Gas phase to that in Feed |  | 1 |  |
| A | Amount of component in Gas phase to that in Liquid phase |  | 0 |  |




| A | Delete row 1 |  | 0 | 3 |
| :---: | :---: | :---: | :---: | :---: |
| A | Delete row k |  | 1 | 4 |
| Q | In stream tearing if column k dominates column j then : | M |  | 1 |
| A | Delete column j |  | 1 | 1 |
| A | Delete column k |  | 0 | 2 |
| A | Add column j |  | 0 | 3 |
| A | Add column k |  | 0 | 4 |
| Q | In flowsheet partitioning, groups of units which must be solved together are called | M |  | 1 |
| A | reducible |  | 0 | 1 |
| A | irreducible |  | 1 | 2 |
| A | irrelevant |  | 0 | 3 |
| A | redundant |  | 0 | 4 |
|  | In Sequential Modular approach of simulation, ____ is required because of |  |  |  |
| Q | loops of information created by recycle streams. | M |  | 1 |
| A | partitioning |  | 0 | 1 |
| A | precedence ordering |  | 0 | 2 |
| A | tearing |  | 1 | 3 |
| A | mixing |  | 0 | 4 |
|  | In Equation-Oriented approach of simulation, ___ for the set of unknown |  |  |  |
| Q | variables is very important. | M |  | 1 |
| A | initialization |  | 1 | 1 |
| A | normalization |  | 0 | 2 |
| A | minimization |  | 0 | 3 |
| A | maximization |  | 0 | 4 |
|  | Precedence ordering is used to partition the set of equations into a sequence of |  |  |  |
| Q | smaller sets of ___ equations | M |  | 1 |
| A | reducible |  | 0 | 1 |
| A | redundant |  | 0 | 2 |
| A | irrelevant |  | 0 | 3 |
| A | irreducible |  | 1 | 4 |
| Q | $\ldots$ represents some aspects of the real world by numbers or symbols. | M |  | 1 |


| A | Process simulation |  | 1 | 1 |
| :---: | :---: | :---: | :---: | :---: |
| A | Process control |  | 0 | 2 |
| A | Optimization |  | 0 | 3 |
| A | Process intensification |  | 0 | 4 |
| Q | Which algorithm is used to find the partitions and precedence ordering in a flow | M |  | 1 |
| A | Newton method algorithm |  | 0 | 1 |
| A | Armijo line search |  | 0 | 2 |
| A | Sargent and Westerberg algorithm |  | 1 | 3 |
| A | Broyden method algorithm |  | 0 | 4 |
| Q | BTA method is used for : | M |  | 1 |
| A | Determination of partitions in flow sheets |  | 0 | 1 |
| A | Determination of tear streams in flow sheets |  | 1 | 2 |
| A | Determination of modules in flow sheets |  | 0 | 3 |
| A | Determination of precedence ordering in flow sheets |  | 0 | 4 |
| Q | In Equation-Oriented approach of simulation storage requirement is : | M |  | 1 |
| A | Very low |  | 0 | 1 |
| A | Low |  | 0 | 2 |
| A | Zero |  | 0 | 3 |
| A | High |  | 1 | 4 |
| Q | The identification of recycle loops and methodical separation of the flowsheet into groups of process units required to be solved collectively is known as | M |  | 1 |
| A | Partitioning |  | 1 | 1 |
| A | Tearing |  | 0 | 2 |
| A | Topology |  | 0 | 3 |
| A | Ordering |  | 0 | 4 |
| Q | $\ldots \ldots$ is the first step for solving the material balance of a flow sheet. | M |  | 1 |
| A | Recycling |  | 0 | 1 |
| A | Tearing |  | 0 | 2 |
| A | Partitioning |  | 1 | 3 |
| A | Precedence ordering |  | 0 | 4 |

In direct substitution method, the necessary and sufficient condition for convergence

Q
A
A
A
A Equal to 1
A
A Solution of linear algebraic equations
A Solution of non-linear algebraic equations
A Solution of ordinary differential equations
Q The steepest descent method has a $\qquad$ rate of convergence :
A
A
A
A logarithmic
Q
A
A Steepest descent method
A Direct substitution method
A Newton's method
Q
A
A
A
A

Q
A
A

The search direction $\mathrm{p}^{\mathrm{k}}$ in Newton's method is given by the equation :

$$
\mathrm{p}^{\mathrm{k}}=-\left(\mathrm{J}^{\mathrm{k}}\right)^{-1} \mathrm{f}\left(\mathrm{x}^{\mathrm{k}}\right)
$$

$$
\mathrm{p}^{\mathrm{k}}=+\left(\mathrm{J}^{\mathrm{k}}\right)^{-1} \mathrm{f}\left(\mathrm{x}^{\mathrm{k}}\right)
$$

$$
\mathrm{p}^{\mathrm{k}}=-\left(\mathrm{J}^{\mathrm{k}}\right)^{\mathrm{T}} \mathrm{f}\left(\mathrm{x}^{\mathrm{k}}\right)
$$ $p^{k}=+\left(J^{k}\right)^{T} f\left(x^{k}\right)$

If the starting point is poor then which of the following is used with Newton's method to solve nonlinear algebraic equations?
Trapezoidal rule In Levenberg-Marquardt method if $\lambda=0$ then the method reduces to the: Secant method


Cramer's rule


| A | Armijo line search |  | 1 |
| :---: | :---: | :---: | :---: |
| A | Runge-Kutta method |  | 0 |
| Q | Which of the following is not used to solve nonlinear algebraic equations? | M |  |
| A | Secant method |  | 0 |
| A | Bisection method |  | 0 |
| A | Successive substitution method |  | 0 |
| A | Cramer's rule |  | 1 |
| Q | In direct substitution method the speed of convergence will be highest when the | M |  |
| A | 0.99 |  | 0 |
| A | 0.5 |  | 0 |
| A | Close to zero |  | 1 |
| A | 0.75 |  | 0 |
| Q | In Levenberg-Marquardt method, the value of the parameter that adjusts the direction and length of the step is : | M |  |
| A | -0.25 |  | 0 |
| A | -0.5 |  | 0 |
| A | -1 |  | 0 |
| A | Non-negative |  | 1 |
| Q | The search direction in Newton's method for solving nonlinear algebraic equations | M |  |
| A | Hessian matrix |  | 0 |
| A | Inverse of Hessian matrix |  | 0 |
| A | Inverse of Jacobian matrix |  | 1 |
| A | Transpose of Hessian matrix |  | 0 |
| Q | In Newton's method for solving non-linear algebraic equations the rate of | M |  |
| A | Linear |  | 0 |
| A | Very Slow |  | 0 |
| A | Slow |  | 0 |
| A | Fast (Quadratic) |  | 1 |
| Q | Which of the following statements is true for Secant method? | M |  |
| A | It has quadratic rate of convergence |  | 0 |
| A | It can be used to solve nonlinear algebraic equations |  | 1 |


| A | It cannot be used to solve nonlinear algebraic equations |  | 0 |
| :---: | :---: | :---: | :---: |
| A | It is used for numerical integration |  | 0 |
| Q | Which method for solving nonlinear algebraic equations requires calculation of | M |  |
| A | Direct substitution method |  | 0 |
| A | Secant method |  | 0 |
| A | Bisection method |  | 0 |
| A | Newton's method |  | 1 |
| Q | Which of the following is NOT required for using Newton's method for | M |  |
| A | The lower bound for search region. |  | 1 |
| A | Twice differentiable optimization function. |  | 0 |
| A | The function to be optimized. |  | 0 |
| A | A good initial estimate that is reasonably close to the optimal. |  | 0 |
| Q | Which of the following statements is INCORRECT? | M |  |
| A | if the second derivative at $x_{\mathrm{i}}$ is negative, then $x_{\mathrm{i}}$ is a maximum. |  | 0 |
| A | If the first derivative at $x_{\mathrm{i}}$ is zero, then $x_{\mathrm{i}}$ is an optimum. |  | 0 |
| A | If $x_{\mathrm{i}}$ is a minimum, then the second derivative at $x_{\mathrm{i}}$ is positive |  | 1 |
| A | The value of the function can be positive or negative as any optima. |  | 0 |
| Q | For what value of $x$, is the function $x^{2}-2 x-6$ minimized? | M |  |
| A | 0 |  | 0 |
| A | 1 |  | 1 |
| A | 5 |  | 0 |
| A | 3 |  | 0 |
| Q | The Newton Raphson Method fails when? | M |  |
| A | Jacobian is singular |  | 1 |
| A | Derivative is finite |  | 0 |
| A | Jacobian is finite |  | 0 |
| A | Jacobian is skew symmetric |  | 0 |
| Q | The maxima can be located by using the condition? | M |  |


| A | Second derivative positive |  | 0 |
| :---: | :---: | :---: | :---: |
| A | First derivative negative |  | 0 |
| A | Second Derivative negative |  | 1 |
| A | First Derivative equals second derivative |  | 0 |
| Q | The first order Kuhn Tucker should follow these necessary conditions for optimality? | M |  |
| A | First derivative of Langarange polynomial should be zero |  | 1 |
| A | First derivative of Langarange polynomial should be positive |  | 0 |
| A | First derivative should be negative infinite |  | 0 |
| A | First derivative should not exist |  | 0 |
| Q | The first order Kuhn Tucker should follow these necessary conditions for optimality? | M |  |
| A | The constraint multipliers should not be negative |  | 1 |
| A | The constraint multipliers square should be positive |  | 0 |
| A | The constraint multipliers should have negative finite value |  | 0 |
| A | The constraint multipliers not depends on function |  | 0 |
| Q | The Newton's method is convergence in what order? | M |  |
| A | Quadratic |  | 1 |
| A | Linearly |  | 0 |
| A | Exponential |  | 0 |
| A | Half |  | 0 |
| Q | In Quasi Newton Method the double derivative of the function is approximated by? | M |  |
| A | Slope using first order derivative. |  | 1 |
| A | Hessian matrix |  | 0 |
| A | Jacobi Matrix |  | 0 |
| A | Finite difference |  | 0 |
| Q | In which method the search for optimal solution is located with help of vertices of | M |  |
| A | Simplex Method |  | 1 |
| A | Conjugate Search Method |  | 0 |
| A | Newton Method |  | 0 |
| A | Quasi Newton Method |  | 0 |
| Q | Cubic Interpolation method comes under which method? | M |  |
| A | Polynomial Approximation method |  | 1 |


| A | Gradient Search Method |  | 0 |
| :---: | :---: | :---: | :---: |
| A | Random Search |  | 0 |
| A | Quasi Search |  | 0 |
| Q | The feasible region for the inequality constraints with respect to equality | M |  |
| A | Increases |  | 1 |
| A | Decreases |  | 0 |
| A | Does not change |  | 0 |
| A | Slightly changes |  | 0 |
| Q | The degree of freedom for an optimization problem that has four design variables is, | M |  |
| A | 9 |  | 0 |
| A | 4 |  | 1 |
| A | 16 |  | 0 |
| A | 2 |  | 0 |
| Q | While solving a linear graphically the area bounded by the constraints is called | M |  |
| A | Feasible region |  | 1 |
| A | Infeasible region |  | 0 |
| A | Unbounded solution |  | 0 |
| A | Bounded Solution |  | 0 |
| Q | If $f(x)$ is continuous at every point in region $R$ then $f(x)$ is said to be --------- | M |  |
| A | Continuous |  | 1 |
| A | Discontinuous |  | 0 |
| A | Optimum |  | 0 |
| A | Continuously integrable |  | 0 |
| Q | Which of the following functions first derivatives are continuous at the break point | M |  |
| A | Continuous |  | 0 |
| A | Discontinuous |  | 0 |
| A | Splines |  | 1 |
| A | Discrete |  | 0 |
| Q | If feasible region F is empty then the problem is | M |  |
| A | Infeasible |  | 1 |
| A | Feasible |  | 0 |


| A | Bounded |  | 0 |
| :---: | :---: | :---: | :---: |
| A | Unbounded |  | 0 |
| Q | In Newtons method if $\mathrm{f}^{\prime}$ ' ( x ) à 0 then method converges------- | M |  |
| A | Slowly |  | 1 |
| A | Faster |  | 0 |
| A | Moderately |  | 0 |
| A | fails |  | 0 |
|  | The negative gradient of $f(x)$ is the direction that maximizes the rate of change of $f(x)$ |  |  |
| Q | in moving towards the -----. | M |  |
| A | Minimum |  | 1 |
| A | Maximum |  | 0 |
| A | Zero |  | 0 |
| A | Local maximum |  | 0 |
| Q | Which of the following methods is used for optimization? | M |  |
| A | Armijo Line Search |  | 0 |
| A | Gradient Method |  | 1 |
| A | Cramer's Rule |  | 0 |
| A | Direct Substitution Method |  | 0 |
|  | Optimization problems that have nonlinear objective and/or constraint functions of |  |  |
| Q | the problem variables are referred to as : | M |  |
| A | Nonlinear programs |  | 1 |
| A | Linear programs |  | 0 |
| A | Kuhn Tucker conditions |  | 0 |
| A | Lagrange multipliers |  | 0 |
| Q | In nonlinear programming problem, the constraints create a region for the variables x | M |  |
| A | Invalid region |  | 0 |
| A | Forbidden region |  | 0 |
| A | Feasible region |  | 1 |
| A | Boundary region |  | 0 |

